## Warm Mix Asphalt Site Visit

- Allows Mixing, Transporting and Laying of Asphalt at lower temperatures ( $\sim 100$ F) $\square$ Impacts on construction site?
- Reduced fuel (and energy) consumption
- Reduced emissions
- Easier lay-down and compaction


## WMA: Example of Integration

- Comparable Durability \& Long Term Performance
- Reduced Environmental Impacts
- Economic Benefits
- Worker safety
$\qquad$


## Cost Control

- Controlling on-going expense
- Information required:
$\square \%$ Completion
$\square$ Estimate of cost of material stored on-site
$\square$ Accrued expense (so far, independent of payment)
$\square$ Estimated cost
- Check Accrued Expenses so far vs. Estimated Expense
- Accrued expense/div
$\square+$ Cash expenditures
$\square$ - Inventory valuation
$\square+$ Accounts payable
- Estimated expense/ As-planned expense:
$\square$ \% completion x Estimated

Cost Control


## Broad Scope Estimates

Unit Cost (UC) forecast $=(A+4 B+C) / 6$
$A=$ Minimum unit cost of previous projects
$B=$ Average unit cost of previous projects
$C=$ Maximum unit cost of previous projects

## Adjustment: Time

- $\mathrm{I}(2006+\mathrm{n})=\mathrm{l}(2006)(1+\mathrm{i})^{\mathrm{n}}$
- $\mathrm{I}(2006)=7763.15 \mathrm{i}=3.0 \%$ (0.03)

```
Cost(Year B) =
    Cost(Year A)[(Index B)/(Index A)]
```


## Adjustment: Location

- To adjust for local differences
- RS Means page 458
- 49931: 92.2
$\operatorname{Cost}($ City B) $=$

> Cost(City A)[I(City B)/I(City A)]


| Adjustment: Process Unit Capacity |
| :--- |
| (Chapter 4) |
| $\begin{array}{l}\text { Cost(Process Unit B) }=\operatorname{Cost} \text { (Process Unit A) } \\ \times\left[C(\text { Project B)/C(Project A) }]^{a}\right.\end{array}$ |
| $\begin{array}{l}C()=\text { Process unit capacity } \\ \mathrm{a}=\text { Slope of cost capacity curve }\end{array}$ |
| $\begin{array}{l}\text { Relationship of plant cost vs unit production } \\ \text { assumed linear over narrow capacity } \\ \text { ranges }\end{array}$ |

## Adjustment: Unit cost for size

- Unit cost goes down for higher outputs
- Use historical data to build linear relationship
$\square Y=m X+c$
$\square Y$ : Cost per unit $X$ : Number of units
$\square$ For given ( $\mathrm{x}_{1}, \mathrm{y}_{1}$ ) and ( $\mathrm{x}_{2}, \mathrm{y}_{2}$ ) calculate $m$ and $c$

> Using the information provided in Figure estimate the combined design-construction cost of a High School with a total area of 170,000 SF, face brick with concrete block back-up in the exterior walls, a steel framing system, 10 story height, four elevators of 2,500 pounds capacity each, and two 40' height aluminum flagpoles. Calculate how much more would it cost to include a 20,000 SF basement as a percentage of the original design-construction costs.

